

## **Epistemic standards: High hopes and low expectations**

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### **Abstract**

The notion of epistemic standards has gained prominence in the literature on the semantics of knowledge ascriptions. Defenders of *Epistemic Contextualism* claim that in certain scenarios the truth value of a knowledge-ascribing sentence of the form “ $S$  knows  $p$  (at  $t$ )”—where  $S$  is an epistemic subject and  $p$  is a proposition  $S$  is said to know at time  $t$ —can change even if  $S$ ,  $p$  and  $t$  are assigned constant values. This sort of variability, contextualists claim, is due to the epistemic standards governing the context in which the knowledge ascription is uttered. While a specific knowledge ascription may be true when uttered in a context with “low” epistemic standards, it may be false when uttered in a context with “high” epistemic standards. The reason for this, as far as contextualists are concerned, is the context sensitivity of the verb “knows”. In standard semantics an expression is said to be context sensitive if and only if it expresses different contents (or intensions) relative to different contexts of utterance. Thus, as epistemic standards influence the content of “knows”, they play a crucial role in contextualist semantics. In this paper, I examine different conceptions of epistemic standards and argue that all but one lead to counterintuitive consequences. The conception which avoids these consequences, however, has the downside of seriously restricting the talk of “high” or “low” standards that is so frequent in discussions on the semantics of knowledge ascriptions.

## 1. Epistemic standards

Epistemic standards play an important role in many discussions about knowledge ascriptions: consider, for instance, the recent debate about the “factivity problem” for contextualism,<sup>1</sup> where Peter Baumann (2008) and Anthony Brueckner & Christopher Buford (2009) speak freely of contexts with “ordinary” standards and contexts with more demanding “sceptical” standards; Wolfgang Freitag (2011, 277), meanwhile, explicitly classifies epistemic standards, speaking of a “set of high-standard contexts” and a “set of low-standard contexts”, such that the union of both sets is the set of all contexts.<sup>2</sup> Of course, there may be a far greater variety of standards, but no matter how many different epistemic standards there are—two or indefinitely many—the question of what exactly it is that makes low standards low and high standards high needs to be addressed. We need a story about what it means to order contexts according to the strength of their respective epistemic standards. Given the importance of the notion for contextualism, subject-sensitive invariantism or epistemic relativism, it is surprising how few detailed and systematic accounts have been proposed given concerning how epistemic standards work. I discuss the most important ones in section 2.

In what follows, I presuppose a few things about epistemic standards that I take to be fairly uncontroversial: First, epistemic standards can be raised. Maybe they can be lowered, too (Lewis 1996, 560), but this does not matter for my purposes here. Secondly, in the cases relevant to my discussion, the factors responsible for a rise in standards are “error-possibilities”, possibly but not necessarily accompanied by an increase in the practical importance of the proposition  $p$  of which the speaker is attributed or denied knowledge. Something along those lines is endorsed by all contextualists. Take, for instance, Keith DeRose: “The mentioning of alternatives like painted mules, or barn facades, or changes in banking hours [...] can be seen as raising the strength and changing the content of ‘know’” (DeRose 1992, 992). Similarly, Michael Williams claims that “raising and lowering of standards consists in the expansion and contraction of the range of error-

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<sup>1</sup> Variants of the factivity problem are developed by Brendel (2005), Williamson (2001), and Wright (2005).

<sup>2</sup> The latter is a simplifying assumption. As far as I can tell, Freitag is happy to allow more than two standards.

possibilities in play” (Williams 2001, 2). Related characterisations can be found in Cohen 1999 or Lewis 1996. Thirdly, in stereotypical contextualist cases, contexts in which a given knowledge ascription comes out true have lower standards than contexts in which the same ascription comes out false.<sup>3</sup> Any contextualist should happily subscribe to these assumptions.

Little work has been done on the details of epistemic standards. Exceptions are the views discussed in section 2, some critical comments on those views (e.g. Hawthorne 2004, Stanley 2005) and a paper by Jonathan Schaffer (2005) in which he argues that a “point-like” conception of epistemic standards in terms of relevant alternatives is plausible, whereas conceptions that rely on “thresholds” or “standards” are problematic.<sup>4</sup> I agree with a lot of what he says, but I modify some of his results and generalize others. The general claims I defend in this paper are as follows: First, where the above assumptions are combined with a view that links epistemic standards to a measure on alternatives (including a contextually determined threshold) that allows the relevant set of contexts to be totally ordered, the resulting view leads to highly implausible results. Secondly, a theory that avoids these kinds of measures as well as a total ordering of contexts according to their epistemic standards has no resources to make sense of low or high standards. The conclusion I draw is that, as things stand, talk of low or high standards is ill-founded.

## **2. Three models of epistemic standards**

I discuss three ways of modeling epistemic standards that have been proposed by the most prominent defenders of contextualism (cf. Cohen 1988, DeRose 1995, Lewis 1979, 1996).

According to those views, standards are associated either with modality, or with probabilities, or with quantifier domains. I briefly sketch each view in turn.

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<sup>3</sup> Note that this is not the same as presupposing that contexts have low and high epistemic standards *simpliciter*, i.e. standards that are just low or just high, as opposed to low or high compared to the standards of some other context.

<sup>4</sup> Schaffer’s terminology differs from mine. My use of “standards” includes all of the conceptions Schaffer discusses. He uses “standards” to refer to what I call the “truth tracking” model or the “spheres” model, which is one way to model epistemic “standards” (in the sense in which I use the word).

Keith DeRose (1995, 33–38) links epistemic standards to modal considerations underlying his externalist view on the strength of the “epistemic position” of a subject. A subject  $S$  is in a strong epistemic position with respect to her belief  $p$  if her belief is not only true at the actual world, “but also at the worlds sufficiently close to the actual world” (DeRose 1995, 34), where closeness is measured in terms of similarity to the actual world.<sup>5</sup> Now, generally,  $S$  knows  $p$  just in case her epistemic position is strong enough. Just how strong it needs to be in order to be strong enough for knowledge is determined by the epistemic standards of the context of ascription. Accordingly, DeRose invites us to picture his view of epistemic standards “as a contextually determined sphere of possible worlds, centered on the actual world within which a subject’s belief as to whether  $p$  is true must match the fact of the matter in order for the subject to count as knowing” (DeRose 1995, 36). A belief that is true in all worlds of a relatively small sphere may turn out to be a false belief in some worlds of a larger sphere. Thus the sphere symbolizes the epistemically relevant worlds and its extent is determined by the context in which the knowledge ascription is uttered. The mechanism of raising standards is given by the Rule of Sensitivity (DeRose 1995, 37): “When it’s asserted that  $S$  knows (or doesn’t know) that  $P$ , then, if necessary, enlarge the sphere of epistemically relevant worlds so that it at least includes the closest worlds in which  $P$  is false.” Accordingly, what counts as epistemically relevant depends on the contextually determined sphere. With the standards for knowledge linked to the extent of the sphere via epistemic relevance of alternatives, we get the following connection: The higher the epistemic standards, the larger the sphere of epistemically relevant worlds. Interestingly, as a belief that is true in all worlds of some sphere cannot be a belief that is false in some worlds of a smaller sphere, another result is that if the sphere associated with context  $c_1$  is bigger than or as big as the sphere associated with  $c_2$ , and if  $S$  “knows”  $p$  in  $c_1$ , then  $S$  “knows”  $p$  in  $c_2$ .<sup>6</sup>

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<sup>5</sup> It is not plain overall similarity that is at issue here, but similarity with respect to the methods of belief formation. This takes care of scenarios like Nozick’s *grandmother case* (Nozick 1981, 179; DeRose 1995, 20).

<sup>6</sup> As contextualism is in part a metalinguistic position about “knows”, I use quotation marks to indicate the dependence

Stewart Cohen (1988) agrees that context determines which alternatives are epistemically relevant, but he links relevance to an internalist probabilistic picture. Some not- $p$  alternative  $h$  “is relevant, if the probability of  $h$  conditional on reason  $r$  and certain features of the circumstances is sufficiently high (where the level of probability that is sufficient is *determined by context*)” (Cohen 1988, 103). In case the subject has sufficient reason to deny the alternatives with a probability above this contextually determined level, there are no relevant alternatives precluding her from knowing  $p$ . Accordingly, alternatives with a probability below a certain threshold are irrelevant for  $S$ ’s knowledge of  $p$  in that context, even if they are compatible with the subject’s reasons  $r$ . The connection we get on this picture is as follows: The higher the epistemic standards, the lower the probability of not- $p$  alternatives (conditional on  $r$ ) needs to be in order for those alternatives to be relevant. Like in DeRose’s case, we also get a further result. As no not- $p$  possibility that is below the threshold of some context can be relevant in less demanding contexts with higher thresholds, it follows that if the threshold associated with  $c_1$  is lower than or equal to the threshold associated with  $c_2$ , and if  $S$  “knows”  $p$  in  $c_1$ , then  $S$  “knows”  $p$  in  $c_2$ .

Finally, David Lewis prominently discusses epistemic standards on two occasions: the first when applying his conception of conversational score to relative modality (Lewis 1979), the second when developing his theory of knowledge ascriptions (Lewis 1996). In the first paper, Lewis classifies the dynamics of knowledge ascriptions as an instance of the more general connection between conversational score and modal expressions (see Lewis 1979, 354–355). He speaks of a “boundary between the relevant possibilities and the ignored ones”, which enters into the truth conditions of sentences containing expressions like “must”, “can”, and also “knows”. This boundary can be formally modelled by an accessibility relation between possible worlds, which may change in the course of conversation—that is, in the terminology adopted here, from context to

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of the semantic value of “knows” on context. More precisely the phrase “ $S$  ‘knows’  $p$  in  $c$ ” is to be understood as “the utterance of the sentence ‘ $S$  knows  $p$ ’ if made in  $c$  is true”. Thanks to an anonymous reviewer for pressing that point.

context. Depending on the constraints on the accessibility relation, there are a number of ways to understand the workings of that boundary: for instance, if one relies on similarity between possible worlds (with respect to actual methods of belief formation), the view resembles DeRose's picture. Lewis's talk of attending to and (proper) ignoring of not- $p$  possibilities, however, points to a view developed in more detail in his *Elusive Knowledge* (1996). In the definition of knowledge developed there, context-dependent standards enter in terms of properly ignored not- $p$  possibilities. As every not- $p$  possibility not properly ignored must be eliminated by the subject's evidence and what is properly ignored depends on context, the account can be linked to the context-dependency of quantifier domain restrictions (see also Ichikawa 2011). Here is the definition: "S knows that  $p$  iff S's evidence eliminates every possibility in which not- $p$  [...] except for those possibilities that we are properly ignoring" (Lewis 1996, 554). So every not- $p$  possibility that is not properly ignored is epistemically relevant.

Proper ignoring is tied to several rules which, among other things, are meant to take care of the factivity of knowledge (Lewis 1996, 554) and various epistemological problems like the lottery paradox and Gettier cases (Lewis 1996, 556). Most important for the purpose of this paper, however, are the Rule of Belief and the Rule of Attention as they reflect the contextual influence on epistemic relevance and, therefore, on epistemic standards. According to the Rule of Belief, no possibility is properly ignored "if the subject gives it, or ought to give it, a degree of belief that is sufficiently high" (Lewis 1996, 555), where what is sufficiently high may depend on how much is at stake. Lewis's definition, as well as his examples (1996, 556), suggest that it is the stakes of the epistemic subject as well as objective stakes that matter. The rule may become sensitive to the context of ascription in case the ascribers know that the subject ought to give a higher degree of belief to a given not- $p$  possibility than she actually does. The Rule of Attention is explicitly focused on the context of ascription (see Lewis 1996, 561). A not- $p$  possibility attended to in the context of ascription may not be properly ignored. By attending to a possibility, ascribers make it relevant for

a knowledge ascription in that context. If the subject's evidence does not eliminate that possibility, the subject cannot be said to "know" that  $p$  in that context. The rule does not require a certain threshold, probability or degree. Attendance is an all-or-nothing affair.

It seems the Rule of Attention is more powerful with respect to ascriber sensitivity than the Rule of Belief. The cases in which ascribers know that the epistemic subject should give a higher degree of belief to a given not- $p$  possibility are cases in which the ascribers attend to that possibility. This is sufficient to make that possibility epistemically relevant. Cases in which the ascribers or the subject fail to give a sufficiently high degree of belief to a possibility are cases in which  $S$  does not know that  $p$  for reasons independent of the context of ascription. So, in order to capture the contextualist cases at issue here, we need to focus on the Rule of Attention. As attendance is an all-or-nothing affair, there is no measure of relevance connected to alternatives on Lewis's view. Thus, the only correlation we get on his picture is this: Given two contexts  $c_1$  and  $c_2$ , the epistemic standards of  $c_2$  are higher than the epistemic standards of  $c_1$  just in case the set of relevant alternatives of  $c_1$  is a proper subset of the relevant alternatives of  $c_2$ . We are not able to say that, generally, some not- $p$  possibility  $q_1$  is to be ranked higher, epistemically speaking, than some other not- $p$  possibility  $q_2$ . Given a context in which  $q_1$  is salient but not  $q_2$ , and another context in which  $q_2$  is salient but not  $q_1$ , we simply cannot tell whether the standards in the first context are higher than or equal to the other. On Lewis's account, there is nothing that would allow us to speak of higher or lower standards in case the sets of possibilities relevant in  $c_1$  and  $c_2$  are disjoint or even in case they intersect without one being a subset of the other. But we do get the result that if the relevant alternatives of  $c_2$  are a subset (proper or improper) of the relevant alternatives of  $c_1$ , and if  $S$  "knows"  $p$  in  $c_1$ , then  $S$  "knows"  $p$  in  $c_2$ . If  $S$ 's evidence is incompatible with every element of a given set of alternatives, it is also incompatible with every element of a subset of that set.

It is worth noting that although some of the views discussed here allow for a general notion of epistemic strength (in terms of modal closeness or probabilities), none of the views offers any

kind of general (i.e. context-independent) threshold, such that all contexts with epistemic standards above that threshold count as high standards contexts and all others as low standards contexts. So, except for the limiting cases in which either all alternatives are relevant or else no alternatives at all are relevant, it seems to make little sense to speak of absolutely high or absolutely low standards. Some views, however, do allow the notion of *relatively* high or *relatively* low standards, thereby enabling a comparative reading of epistemic standards: DeRose's and Cohen's views generally admit comparisons of contexts with respect to their epistemic standards (either in terms of modal distance or in terms of probabilities), while Lewis's analysis only allows a rather restricted form of comparison.

### 3. Orderings of epistemic standards and some problematic results

We are now in a position to take a closer look at the way contexts may be ordered according to their epistemic standards. Assume a set  $M_c$  containing contexts of utterance. As we will see, there may or may not be restrictions as to which contexts may be elements of  $M_c$ . The comparative reading of epistemic standards in the spirit of Cohen's and DeRose's views requires a binary relation " $\leq$ " on the elements of  $M_c$  (such that  $\leq \subseteq M_c \times M_c$ ) that allows at least a partial ordering. If " $c_1 \leq c_2$ " is to represent the intuitive notion that the standards of  $c_1$  are lower than or equal to the standards of  $c_2$ , " $\leq$ " needs to be reflexive, transitive and antisymmetric.<sup>7</sup>

It was shown that DeRose's sphere model links epistemic standards to the extent of a sphere of possible worlds. As the worlds are centred on the actual world and ordered by a similarity measure, we can interpret " $c_1 \leq c_2$ " as "the sphere of possible worlds of  $c_1$  is smaller than or equal to the one of  $c_2$ ".<sup>8</sup> As we have seen in the previous section, contexts are ordered according to how

<sup>7</sup> Thus, for any  $a, b, c \in M_c$ :  $a \leq a$ ; if  $a \leq b$  and  $b \leq c$ , then  $a \leq c$ ; and if  $a \leq b$  and  $b \leq a$ , then  $a = b$ .

<sup>8</sup> The additional restriction on the method of belief formation—only worlds in which  $S$  forms her belief that  $p$  in the same way she does in actuality are to be considered—leads to a constraint on  $M_c$ . Worlds in which  $S$  forms her belief in different ways are not epistemically relevant, as they cannot be pictured as being inside or outside of any sphere centred on actuality including  $S$ 's method of belief formation.



far the sphere of epistemically relevant worlds reaches into modal space. According to this reading,  $M_c$  appears to be totally ordered, as it meets the additional constraint that for any  $a, b \in M_c$ :  $a \leq b$  or  $b \leq a$ .<sup>9</sup> The reason for this is that (with the similarity ordering of possible worlds remaining fixed) the only thing that varies with context is the extent of the sphere. Given a contextually determined sphere  $s_1$  encompassing all worlds up to distance  $d_1$ , any other contextually determined sphere  $s_2$  encompassing all worlds up to distance  $d_2$  will either be as large as  $s_1$  or smaller than  $s_1$  or larger than  $s_1$ . For every pair of members of  $M_c$ , one is smaller than or equal to the other. This allows for a contextually determined value, such that if  $S$  “knows”  $p$  in  $c_1$ , then  $S$  “knows”  $p$  in all contexts  $c_n$  for which  $c_n \leq_S c_1$ .

This leads us to the first counterintuitive result: the problem with this picture is that shifts in epistemic standards “globally infect” other propositions believed by the epistemic subject (see Schaffer 2005, 124). Given DeRose’s conception of the closeness relation between possible worlds, it is an immediate consequence that even propositions unrelated to  $p$  and known in a low-stakes context may not be known in a high-stakes context. The reason is that modal closeness is measured by similarity to the actual world and the actual method of how  $S$ ’s belief that  $p$  is formed. If standards are raised, the sphere of epistemically relevant worlds includes *all* worlds up to the contextually determined similarity value. In some of those worlds, propositions other than  $p$  which are truly believed by the subject in actuality will turn out to be falsely believed by the subject. Thus, the epistemic subject does not know those propositions in the high-stakes context, as her epistemic position is not strong enough: her belief is not true in all worlds sufficiently close to the actual world. This may be a suitable position with respect to radical scepticism—the problem DeRose is dealing with when developing his view. Should the possibility of  $S$  being a brain in a vat be uttered,

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<sup>9</sup> Schaffer (2005, 124) proposes a different view according to which the conversational context not only determines the size of the sphere but also the way in which the possible worlds are ordered (Schaffer’s metric  $m$ ). This results in a very powerful conception of context. My impression is that the above reconstruction, where the objective features of the world of the subject’s context determine the ordering (but not the sphere), is closer to DeRose’s view. Nothing of importance for the present paper depends on this, however, as the cases considered here are such that in both contexts the way in which possible worlds are ordered remains fixed.

*S* loses “knowledge” of a considerable number of propositions, at least according to the contextualist view. It is far less convincing with respect to more moderate kinds of epistemic doubt. Consider, for instance, Cohen’s airport case. Passenger Smith is asked whether the plane stops in Chicago. After looking at his flight itinerary, he responds “Yes, I know it stops in Chicago”. Assume that in this context the sphere of possible worlds is of size  $n$ . After the possibility of a misprint in Smith’s itinerary is brought up, context is changed by a rise in epistemic standards and the sphere becomes larger, now measuring  $n + 1$ . It is not only Smith’s belief that the plane stops in Chicago that is false in some worlds in the modal space between  $n$  and  $n + 1$ , but many other beliefs as well. So Smith not only loses “knowledge” of the proposition that the plane stops in Chicago; “knowledge” of propositions completely unrelated to  $p$  may be lost too, namely all those propositions that Smith believes truly in  $n$ , but that he falsely believes in some worlds between  $n$  and  $n + 1$ .

I take this to be a highly implausible result. Suppose that the gate for the flight in question is not mentioned in the itinerary, but Smith reads it on the destination board. Given that worlds in which the itinerary contains a misprint are at least as far off in terms of similarity to actuality as worlds in which the gate of the flight is changed (a plausible assumption, I think), why should mentioning the possibility of a misprint exclude Smith’s “knowledge” that the flight leaves at gate 46? If we suppose that it is both true that the plane stops in Chicago and that the departure is at gate 46, and that Smith is in a reasonably good epistemic position with respect to those propositions, such that he knows both of them in the lower-standards context, it seems false to say that Smith loses “knowledge” that the departure is at gate 46 just because an error-possibility as to whether the itinerary might have been changed is raised. However, this is exactly what the sphere model predicts.

A similar problem can be constructed for Cohen’s conception of epistemic standards. We saw in the last section that, on Cohen’s view, the higher the epistemic standards, the lower the

probability of not- $p$  alternatives needs to be in order for those alternatives to be relevant. Thus, we can read the relation " $c_1 \leq_T c_2$ " as "the (probability) threshold of  $c_1$  is lower than the threshold of  $c_2$ ", resulting in a total ordering on  $M_c$  with decreasing strictness of epistemic standards. On this view,  $M_c$  is totally ordered, just like in DeRose's sphere model. For every pair of members of  $M_c$ , the threshold of one is smaller than or equal to the other's. This allows for a contextually determined value such that if  $S$  "knows"  $p$  in  $c_1$ , then  $S$  "knows"  $p$  in all contexts  $c_n$  for which  $c_1 \leq_T c_n$ .

One way of interpreting Cohen's suggestion is that context influences the threshold for how probable (conditional on  $S$ 's reason  $r$ ) an alternative to any of  $S$ 's belief must be to count as a relevant alternative. On this reading, discussed by Schaffer (2005, 118–121), the probability model is just as globally infectious as the sphere model. Mentioning error-possibilities with respect to the belief that  $p$  or raising the practical importance of  $p$  would globally lower the probability for alternatives to  $S$ 's beliefs, stripping her of "knowledge" of all propositions with alternatives relevant according to the new probability threshold. Thus, counterexamples like the gate/misprint case discussed above would arise just as easily.

But there is another way to reconstruct the position. Unlike the sphere model, the probability model explicitly refers to not- $p$  alternatives. So a sensible option may be to suppose that only the threshold value for the probability of not- $p$  alternatives (conditional on  $r$ ) shifts, while the threshold for possibilities unrelated to  $p$  may remain untouched. This may affect the actual ordering, but not the structure of the relation " $\leq$ " on  $M_c$ , however. According to this picture " $c_1 \leq_T c_2$ " would have to be read as "the threshold for not- $p$  possibilities in  $c_1$  is lower than the threshold for not- $p$  possibilities in  $c_2$ ", still resulting in a total ordering of the contexts of  $M_c$  according to the probability of the alternatives relevant in a context. But it would render the model less infectious than the sphere model. In case Smith cannot deny the alternative that the itinerary contains a misprint, this may prevent him from "knowing" that the plane stops in Chicago, but it need not

prevent him from “knowing” that the departure gate is 46 even if the probability of the latter possibility is equal to or higher than the first. Possibilities in which the gate is changed are epistemically independent of possibilities in which the flight does not stop in Chicago. A change of the probability threshold for not- $p$  possibilities need not affect all of  $S$ ’s other beliefs.

This may be an improvement, but the position is problematic nonetheless. The focus on not- $p$  possibilities is still too broad, as it leads to other counterintuitive cases. Imagine two possibilities: Smith’s itinerary contains a misprint ( $q_1$ ), and the plane in question suffers an engine defect when steering out to the manoeuvring area, resulting in the cancellation of the flight ( $q_2$ ). Let us suppose for the sake of argument that both possibilities have the same probability  $0.n$  (conditional on  $r$ ). Let us assume, further, that both  $q_1$  and  $q_2$  are not- $p$  possibilities. Now imagine, as before, that the plane really stops in Chicago, but that the possibility of a misprint in Smith’s itinerary is raised. Thus, the probability threshold for not- $p$  alternatives is lowered accordingly to value  $0.n$ . Now, Smith decides to check back at the counter of the flight company and has his itinerary confirmed. He cannot, however, deny the possibility that the flight is cancelled because of an engine defect, which also takes value  $0.n$ . Now, given that the possibility of a defective engine is as probable as the possibility of a misprint, he cannot be said to “know” that the plane stops in Chicago (in that context), because the probability threshold on not- $p$  possibilities is too low (in that context). Again, this is a highly counterintuitive result.<sup>10</sup>

One might object that an error-possibility, in that case  $q_2$ , needs to be salient in order to be relevant in the first place, but we have seen that, given  $\leq_T$ , and irrespective of the specific not- $p$  possibilities of a context, if  $S$  “knows”  $p$  in  $c_1$ , then  $S$  “knows”  $p$  in all contexts  $c_n$ , such that  $c_1 \leq_T c_n$ . Besides, the insistence on salience immediately leads to further problems. One I will not address

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<sup>10</sup> Note that Cohen’s analysis of the lottery case (Cohen 1988: 106-108) does not help to avoid the problem: as the chance of error is the same for both  $q_1$  and  $q_2$ , it does not matter whether it is salient or not. Further, it is one and the same context we are considering, so Smith’s reasons for his belief that the plane stops in Chicago remain unchanged. Besides, it is not a radically sceptical result: possibilities that are less probable (conditional on  $r$ ) than  $q_1$  and  $q_2$  remain epistemically irrelevant.

here is how to avoid knowledge ascriptions coming out as true far too easily in contexts of ignorant subjects and/or ascribers. More important for my purposes is this: the only sensible use the probability of an alternative (conditional on  $r$ ) as an additional criterion to salience could have is that some salient alternatives may be ignored, namely those that are irrelevant in that context according to the probability threshold. The problem is that on practically all contextualist accounts (and certainly on the ones discussed so far), salience is usually sufficient to raise epistemic standards. So what would be needed is an account of how salience sometimes does and sometimes does not raise the standards. It is not at all clear what this account would look like.<sup>11</sup> Besides, why should an ordering be introduced in the first place, if salience does all the important work?

In the last section, it was shown that the only cases in which we can speak of higher or lower standards on Lewis's picture is if the set of relevant not- $p$  possibilities of one context is a proper subset of the set of relevant not- $p$  possibilities of another context. It is not possible, however, to compare the epistemic standards of contexts in which this subset requirement is not fulfilled. So there are pairs of contexts for which we cannot say which one has the higher standards or, more precisely, it is not the case that for any element  $a, b$  of  $M_c$ ,  $a \leq b$  or  $b \leq a$ . So, although it also holds on Lewis's view that, for all contexts, if  $c_n \leq c_1$ , and if  $S$  "knows"  $p$  in  $c_1$ , then  $S$  "knows"  $p$  in  $c_n$ , it is impossible for  $c_n$  to contain relevant alternatives that are not also in  $c_1$ , due to the restrictions on the relation " $\leq$ ". This seems to be exactly the feature that avoids the counterexamples against DeRose's and Cohen's conceptions of epistemic standards. As there is no measure on not- $p$  possibilities, the only context-dependent feature affecting their epistemic relevance is *being attended to*. So there is no context-dependent way a not- $p$  possibility not attended to could become relevant.<sup>12</sup> Just because a misprint in Smith's itinerary is relevant (because of its salience), there is

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<sup>11</sup> Cohen notes (1999, 85 n. 27) that salience does not necessarily raise the standards, but he does not offer a systematic analysis of the phenomenon. To be sure, there are accounts that deal with this problem (see, e.g., Blome Tillmann 2009), but those are typically ones that do not picture contexts as totally ordered according to their epistemic standards.

<sup>12</sup> Of course, a possibility not attended to may be relevant due to other rules, but those are of no use when analysing the contextualist cases, so we need not worry about them here.

nothing in Lewis's account that automatically makes other possibilities relevant. The above counterexamples can be avoided.

But this comes at a cost. In the absence of a measure that would allow us to order contexts according to their epistemic standards, it seems that we cannot speak of high and low standards or of "everyday" and "sceptical" standards in an absolute sense. Even talk about standards of one context being higher or lower than the ones of another context is quite limited with a Lewis-style partial ordering. Even if we know, for instance,  $c_1 \leq c_2$  and  $c_3 \leq c_4$ , it may be impossible to say anything about the relation of the epistemic standards of  $c_1$  and  $c_4$ . Take, for instance,  $M_x = \{c_1, c_2, c_3, c_4\}$  and the partial ordering  $\leq_x = \{<c_1, c_1>, <c_2, c_2>, <c_3, c_3>, <c_4, c_4>, <c_1, c_2>, <c_3, c_4>\}$ . Given  $\leq_x$ , it is not only impossible to tell which contexts have low epistemic standards and which have high epistemic standards: there are also contexts for which we cannot even say whether their standards are higher or lower than those of other contexts. To make this point more vivid, imagine that  $\leq$  in the example above orders individuals according to their height. If for all we know  $c_1$  is smaller than or as tall as  $c_2$  and  $c_3$  is smaller than or as tall as  $c_4$ , then we are at a loss when asked whether e.g.  $c_1$  is smaller than or as tall as  $c_4$ . There is a consistent extension of  $\leq$  according to which  $c_1$  is smaller than or as tall as  $c_2$  but taller than both  $c_3$  and  $c_4$ , but there is also one according to which  $c_4$  is taller than  $c_1$ . The situation is similar with respect to Lewis's conception of epistemic standards. While avoiding the counterexamples, it severely limits talk of high or low epistemic standards.

#### **4. Diagnosis and Conclusion**

Abstracting a bit from the modified airport case, the counterexamples seem to build on a simple recipe: Take some not- $p$  possibility  $q_1$  with value  $n$  on  $F$  that is incompatible with  $S$ 's epistemic situation (e.g. the possibility that Smith's itinerary contains a misprint, which turns out to be incompatible with Smith's evidence after he has checked back with the airline agent in the example above). Take another not- $p$  possibility  $q_2$  with the same or a lower value as  $q_1$  on  $F$  that is

compatible with  $S$ 's epistemic situation (e.g. the possibility that the plane in question suffers an engine defect when steering out to the manoeuvring area, resulting in the cancellation of the flight). Describe a context  $c_1$  where the epistemic standards are at level  $n$  at which neither  $q_1$  nor  $q_2$  are relevant and  $S$  "knows"  $p$ . Then describe a context  $c_2$  resulting from  $c_1$  where  $q_1$  is brought to the ascriber's attention (e.g. the mentioning of the misprint possibility resulting in Smith's checking with the airline). This leads to a rise in epistemic standards to level  $n + 1$ , making  $q_2$  relevant too (both  $q_1$  and  $q_2$  take the same value on  $F$ ). Then, although  $S$ 's evidence is incompatible with the not- $p$  possibilities salient in context  $c_1$  (including  $q_1$ ), she still does not know  $p$ , because her evidence is not inconsistent with every alternative relevant in  $c_1$  according to  $F$ . After all,  $q_2$  is consistent with her evidence by hypothesis.

Now, what is the fundamental problem this recipe takes advantage of? We have seen that, in the case of DeRose and Cohen, a measure of epistemic strength formulated in terms of the epistemic relevance of alternatives resulting in a total ordering of contexts according to their epistemic standards leads to counterexamples. Is it enough to reject one of those two characteristics, that is, either the measure on epistemic strength or the total ordering, in order to avoid the problematic cases? As far as I can see, the dependencies are as follows: First, if contexts are totally ordered, even absent any measure for epistemic standards it will be possible to construct counterexamples—at least if the ordering respects the intuitively plausible constraint that if  $c_n \leq c_1$ , and if  $S$  "knows"  $p$  in  $c_1$ , then  $S$  "knows"  $p$  in  $c_n$ .<sup>13</sup> The recipe will have to be rephrased such that it does not refer to values on  $F$ , but this is only a change in detail, not in spirit. Describe contexts  $c_1$  and  $c_2$  in the way outlined above with the modification that the epistemic standards of  $c_2$  are lower than or equal to  $c_1$  given the relevant relation " $\leq$ " on the set of contexts (instead of the measure  $F$ ).

Further, we have seen that Lewis's account is not affected by the counterexamples as it dispenses with a measure on epistemic strength and imposes only a partial order (in combination

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<sup>13</sup> This constraint immediately followed from Cohen's and DeRose's accounts, but it might have to be stipulated as an additional constraint on alternative conceptions.

with the constraint that if  $c_n \leq c_1$ , and if  $S$  “knows”  $p$  in  $c_1$ , then  $S$  “knows”  $p$  in  $c_n$ ). But this comes at the cost of seriously restricting the discourse about epistemic standards. Is it possible to improve on this? It seems that Lewis’s account could only allow a more extensive discourse about standards if the subset requirement were dropped and an independent measure for the strictness of epistemic standards added. What would be needed, in other words, is some  $F_x$  that assigns values to the alternatives relevant in a context, such that, irrespective of the details of those values, the resulting ordering on the class of contexts  $M_x$  will not be total. In light of the results above it seems unlikely that this will be helpful. Assume, for the sake of an example, that  $M_x$  contains four contexts  $c_1$ ,  $c_2$ ,  $c_3$ , and  $c_4$  with  $F$  assigning the values  $\{1, 2, 4, a\}$  to contexts in view of the epistemic strength needed for the subject’s evidence to be strong enough for “knowledge” (with  $1 < 2 < 4$  and “ $a$ ” symbolizing something like “unsettled” standards<sup>14</sup>):  $c_1 = 1$ ,  $c_2 = 2$ ,  $c_3 = a$ ,  $c_4 = 4$ . The resulting ordering relation would be as follows:  $\leq_x = \{ \langle c_1, c_1 \rangle, \langle c_2, c_2 \rangle, \langle c_3, c_3 \rangle, \langle c_4, c_4 \rangle, \langle c_1, c_2 \rangle, \langle c_1, c_4 \rangle, \langle c_2, c_4 \rangle \}$ . This would allow us to say, for instance, that standards in  $c_4$  are higher than in both  $c_1$  and  $c_2$ , but the ordering would not be total because no context except  $c_3$  itself stands in relation “ $\leq_x$ ” to  $c_3$ . But it would also allow for counterexamples following the recipe above. Let  $q_1$  and  $q_2$  be not- $p$ -possibilities with value 4. Assume that  $q_1$  is incompatible with  $S$ ’s epistemic situation while  $q_2$  is compatible with it. Imagine the ascribers are in  $c_1$  so neither  $q_1$  nor  $q_2$  are relevant. Assume further that  $S$  “knows”  $p$  in  $c_1$ . Now assume that  $q_1$  is uttered, causing the epistemic standards to rise to value 4. Will  $q_2$  (and any other not- $p$ -possibility with value  $n \leq 4$ ) be relevant in the resulting context? If one wants to keep the constraint that if  $c_n \leq c_1$ , and if  $S$  “knows”  $p$  in  $c_1$ , then  $S$  “knows”  $p$  in  $c_n$ , one is compelled to say “yes”, but then  $S$  does not “know”  $p$  in  $c_4$ , as there is an alternative, namely  $q_2$ , compatible with her evidence. If one refuses to make every alternative with a value  $n \leq 4$  relevant, one will have to give up on the constraint:  $S$  may be said to “know” in  $c_4$  but not in a different context  $c_4^*$  which differs from  $c_4$  only insofar as  $q_2$  (and all other not- $p$ -possibilities with

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<sup>14</sup> For the notion of “unsettled standards” see, e.g., Montminy and Skolits 2014.



value  $n \leq 4$ ) is relevant as well. As both contexts will be “value 4”-contexts, the fact that  $S$  “knows”  $p$  in  $c_4$  but  $S$  does not “know”  $p$  in  $c_4^*$  violates the constraint.

If these considerations are correct, then in order to avoid the counterexamples it is necessary to avoid both a total ordering of contexts according to their epistemic standards and an independent measure  $F$  that assigns values to alternatives. A further option may be to give up the constraint that if  $c_n \leq c_1$ , and if  $S$  “knows”  $p$  in  $c_1$ , then  $S$  “knows”  $p$  in  $c_n$ , but this means giving up a lot of the initial attraction of contextualism. If knowing in high standards, like for instance sceptical standards, has no consequences whatsoever for knowledge in lower standards, like everyday standards, then the notion of standards loses its pull. The result is that either the intuitively plausible talk of (relatively) low- and (relatively) high-standard contexts must be abandoned, or its defenders must find another way to block the counterexamples.<sup>15</sup>

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